



## Announcements

## •CS Colloquium this **Friday, Mar 1 @ 2:35pm in Wege Auditorium (TCL 123)**



Lightweight, Modular Verification for Systems Compilers Prof. Alexa VanHattum (Wellesley)

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Language-level system guarantees, like runtime isolation for WebAssembly modules, are only as strong as the compiler that produces a native-machine-specific executable. Subtle wrongcode bugs in the compiler can introduce serious security flaws. In this talk, I'll describe Crocus, our system for lightweight, modular verification of instruction-lowering rules in Cranelift, an industry WebAssembly compiler. Crocus reproduces known bugs (including a 9.9/10 severity security bug) and identifies previously-unknown bugs and underspecified compiler invariants. More broadly, I'll discuss how integrating lightweight formal methods can free systems engineers from having to choose between prioritizing efficiency and correctness.











•map •fold

> 9 I want you to think of functions simply, in their mathematical sense. A function is a machine that takes an input and returns an output. Any other kind of "function" is not a function in a true sense. For example, a machine that does something off on the side without returning anything is not a true function; it is more properly called a "procedure."



10 A first class function means that function definitions themselves are values. You can use them anywhere you can use ordinary values. You can assign them to variables. You can pass them as arguments in function calls. Few programming languages allow you to do this, but the most popular modern ones are adding this capability. E.g., you can do this in Python.



11 Returning to our simple notion of a function…



12 … this is an example of a higher-order function. Observe that it depends on the existence of first class functions. A higher order function takes a function definition as an argument.



13 Our first example of a higher order function is map. Map takes a function as an argument, and it applies it to every element given to it. You can accomplish the same thing with a loop, but observe that this is actually simpler. The "body" of this "loop" only says what to do when given a single element. It does not worry about "how" to access the element from the list, or where to store it when it is done. List.map returns a new list, and assuming that the given function is O(1), List.map takes O(n) time, so it is efficient.



14 An important fact about map is that if you give it n things, you get n things back. Observe that for and while loops give no such guarantees, even when that's what you want them to do. It's pretty easy to write a while loop that is supposed to return n things but actually returns n - 1 things instead, by accident. Such mistakes are impossible when using map.



15 How does it work? List map will apply the given machine (here  $a + 1$ machine) to every element of the input list, yielding a new output list.



16 The intuition behind map is that is behaves like a worker in an assembly line. That one workers does the same thing over and over. For example, the first person in the line may just put the knobs on the radios. The next person may attach the power cords. And so on. Each person is a "mapper."





18 Again, observe we're just adding +1 to each element.



19 You can make an actual "assembly line" by chaining mappers together. Forward pipe makes these chains easy to read because the first operations come first. For example,  $x + 1$  is performed first, then the conversion to float, then division by 3.3, etc. Think about how you would have to write this in Java. First, you would probably have to define a function for each "worker" in the assembly line; but then you'd have to write the assembly like "inside out." I find the above much easier to understand.

fold structural recursion → fold it! (in a nutshell: any problem that recurses on a subset of input) tree height **OR ELECTRICATE** list length (cdr (car (cons (cons<sup>'</sup> 'a', 'b).  $(\text{cons } 'c'')$ <sup>d</sup>)  $\qquad \qquad$  $\rightarrow$ ) evaluation

20 Fold is another important kind of higher order function. It can be used for any problem that exhibits structural recursion. Structural recursion happens any time we need to solve a problem over a recursive data structure. E.g., lists and trees.

fold List.fold:  $('a \rightarrow 'b \rightarrow 'a) \rightarrow 'a \rightarrow 'b$  list  $\rightarrow 'a$ (aka "reduce")

21 List.fold is a function that takes a function called a "folder," an initial value of a value called the "accumulator," and an input list. It then "folds" the accumulator and a list element together, returning a new accumulator. The process repeats until there are no more elements to fold. The value returned is the final value of the accumulator.



22 The intuition is like a person folding a towel. Unlike mapping, fold takes in n things and returns 1 thing. Importantly, it is *accumulating* those n things into a single thing. The idea of an accumulator is central to folding.



23 For example, suppose we want to sum some numbers. We can define this using fold. Fold takes a "folder" which is a function that says how to accumulate (add two numbers), a default accumulator value (zero), and an input list (some numbers). For each element, fold runs the given function on the *latest value* of the accumulator with that element. For example, in the beginning, the accumulator is zero and we add it to the first element of the list, one. The result is the new value of the accumulator. So the second element, two, is added to one. Three is new value of the



24 Another view of the same computation.



