

CSCI 331:  
Introduction to Computer Security

Lecture 7: Password Cracking, part 2

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## Topics

Address Sanitizer

Keyed Encryption Functions

Password Salts

Precomputed Hash Chains

## Your to-dos

1. Read Oeschlin for **Thursday 10/5** and take notes.
2. Lab 3, part 1 **due Sunday 10/8**.

## Address Sanitizer

Add  
`-fsanitize=address -static-libasan`  
to gcc's flags.

## Keyed encryption functions

Oeschlin uses terminology like

$$C_0 = S_k(P_0)$$

where  $S_k$  is a **cipher** from family  $S$  with index  $k$

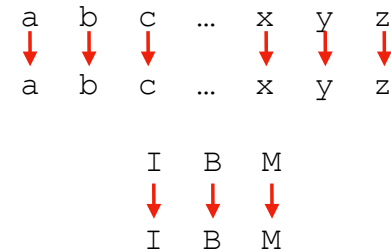
where  $P_0$  is the **first** (of many) plaintexts in space  $P$

and where  $C_0$  is the **first** (of many) ciphertexts in space  $C$

## Keyed encryption functions

Example cipher family

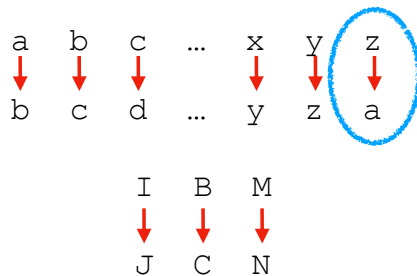
ROT-0



## Keyed encryption functions

Example cipher family

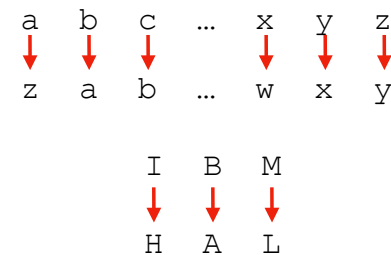
ROT-1



## Keyed encryption functions

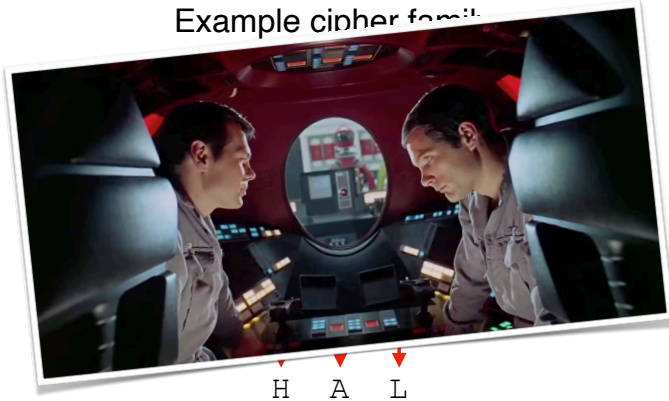
Example cipher family

ROT-25



## Keyed encryption functions

Example cipher family



## Keyed encryption functions

```
def rot(i, p):  
    alpha = "abcdefghijklmnopqrstuvwxyz"  
    j = i % len(alpha)  
    out = ""  
    for char in p:  
        idx = alpha.index(char)  
        idx2 = (idx + j) % len(alpha)  
        out += alpha[idx2]  
    return out  
  
print(rot(25, "ibm"))
```

## Password salts



User types: password



login prepends salt: pxZ6j!



Database stores: pxZ6j!password

## Interesting fact about salts: usually stored in plaintext!

When you change your password, the `/bin/passwd` program selects a salt based on the time of day. The salt is converted into a two-character string and is stored in the `/etc/passwd` file along with the encrypted "password." In this manner, when you type your password at login time, the same salt is used again. Unix stores the salt as the first two characters of the encrypted password.

— Practical UNIX and Internet Security, 3rd Edition by  
Simson Garfinkel, Gene Spafford, Alan Schwartz

## Precomputed Hash Chains

## Precomputed Hash Chains

Motivation: dictionaries are **too big** to distribute

Recall:



**About 29 terabytes!**


Want: something smaller

## Ordinary dictionary



 plaintext  ciphertext

## Ordinary dictionary

hash()

 plaintext  ciphertext

## Ordinary dictionary

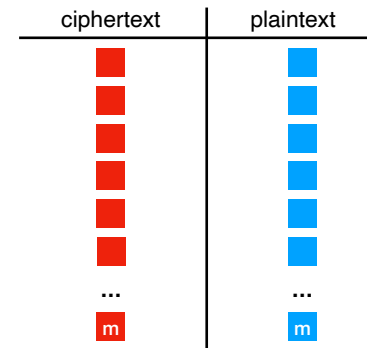
hash (  )  $\longrightarrow$  

 plaintext  ciphertext

## Ordinary dictionary



$m$  = # of possible passwords

So storing a table takes roughly  $O(m)$  space.



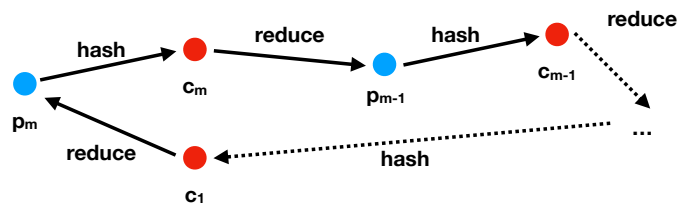
 plaintext  ciphertext

## We can enumerate all plaintexts\*

 plaintexts  
 ciphertexts

Suppose  $f(p_i) = c_i$

Suppose  $r(c_i) = p_{i-1}$  if  $i > 1$  otherwise  $p_m$



\*in principle, assuming no collisions

## Hash chain



 plaintext  ciphertext

## Hash chain

hash(a) → b

■ plaintext ■ ciphertext

## Hash chain

hash(a) → reduce(a)  
b ←

■ plaintext ■ ciphertext

## Hash chain

hash(a) → reduce(a)  
hash(b) ←  
hash(b) → b

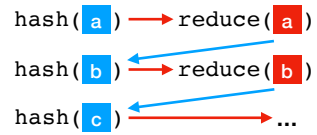
■ plaintext ■ ciphertext

## Hash chain

hash(a) → reduce(a)  
hash(b) ←  
hash(b) → reduce(b)  
c ←

■ plaintext ■ ciphertext

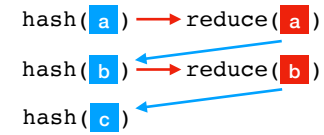
## Hash chain



■ plaintext ■ ciphertext

## Hash chain of length 2

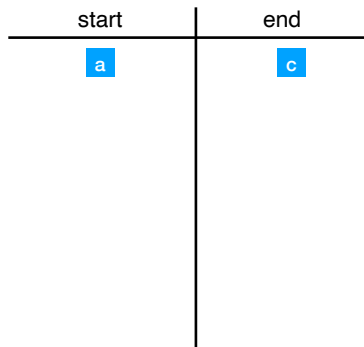
Chain length: # of calls to reduce()



■ plaintext ■ ciphertext

## Hash chain of length 2

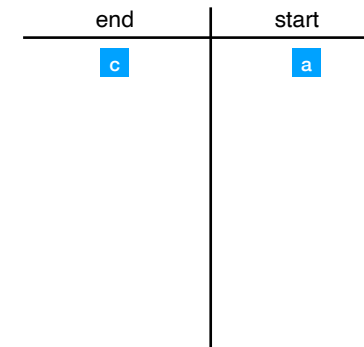
Discard everything but **start** and **end** points and store them in a table



■ plaintext ■ ciphertext

## Hash chain of length 2

But store the **end** as the **key** and **start** as the **data**.  
(e.g., using the `hsearch(3)` implementation we explored in lab)



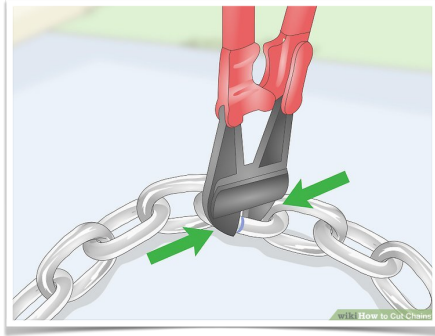
■ plaintext ■ ciphertext





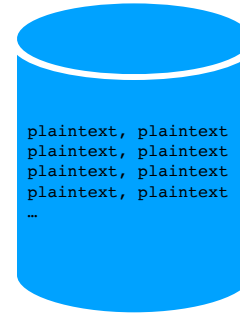
## Hash chain of length k

We are going to chop up our long chain into **smaller chains** of length **k**.



## Precomputed hash chain

Ahead of time:



```
while i < NUM_PT:
    // gen ith possible plaintext
    p = genPassword(i)
    start = p
    for j from 0 to k-1:
        // create ciphertext
        c = hash(p)
        // reduce
        p = reduce(c)
    // save chain in table
    table[p] = start
    i++
```

Suppose you are given  $c_4$

```
end, start
pm-3 , pm
...
p3 , p5
p1 , p3
```

$c_4 \xrightarrow{\text{reduce}} p_3$

Is  $p_3$  an **end point**? **yes**

**Hash and reduce from start point.**

```

password!                original ciphertext
p5  $\xrightarrow{\text{hash}}$  c5  $\xrightarrow{\text{reduce}}$  p4  $\xrightarrow{\text{hash}}$  c4
```

## Hash chain lookup pseudocode

```
def lookup(c, db, len):
    // look for endpoint
    p = reduce(c)
    i = 0
    while p not end in db && i < len:
        c2 = hash(p)
        p = reduce(c2)
        i++
    if p not end: FAIL
    // we found chain; lookup start pt
    s = db[p]
    c2 = hash(s)
    // decrypt
    i = 0
    while c2 != c && i < len:
        s = reduce(c2)
        c2 = hash(s)
        i++
    if i == len: FAIL
    return s
```

chain table

ciphertext

chain length

end, start

♥♥♥♥, ♥♥♥♥

♥♥♥♥, ♥♥♥♥

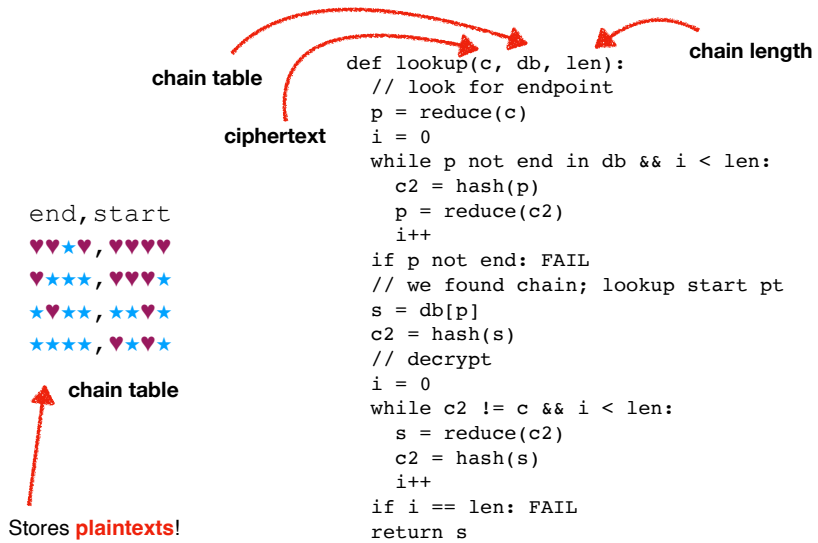
★♥♥♥, ★♥♥♥

★♥♥♥, ♥♥♥♥

chain table

Stores plaintexts!

## Hash chain lookup pseudocode



## Class Activity

Decrypt the hash

**7F975A56C761DB6506ECA0B37CE6EC87**

Answer:

★♥★★

## Recap & Next Class

Today we learned:

PCHC algorithm

Next class:

Rainbow algorithm