CSCI 136: Data Structures and Advanced Programming Lecture 21

More iterators

Instructor: Kelly Shaw

Williams

IteratorsInteger representation

Topics

Your to-dos

- 1. Read before Wed: Bailey, Ch 14-14.1, 14.3
- 2. Quiz due Sat by 6pm

Announcements

•CS Colloquium this Friday, Nov 4 @ 2:35pm in Wege Auditorium (TCL 123)



Rachit Nigam (Cornell University)

Programming Support for Hardware Accelerators

Rachit Nigam is a visiting researcher in the \underline{PLSE} group at University of Washington and a PhD candidate studying computer science at Cornell University.

He is a part of the <u>CAPRA</u> and <u>PL@Cornell</u> research groups and is advised by <u>Adrian Sampson</u>. His research (<u>Dahla</u>, <u>Calyx</u>) is focused on building high-level programming models for designing hardware accelerators.

Recall: OrderedStructure

Nonetheless, we can **signal our intent** with an interface.

How would we write an OrderedStructure interface?

Do its elements need to have **any special property**? (i.e., how would we **compare** them?)

Let's think about how we might implement this.

(code)

Integer representation

OrderedVector

Let's think about implementing an OrderedVector.

(code)

The bits of an integer

An **integer** is represented in computer memory as a **sequence of bits**, each having a value of either 0 or 1. This representation is called **binary**.

Binary is number system where each digit can take one of two values; i.e., the **base** of the system is **2**.

You are probably more familiar with the **base 10** number system, aka **decimal**.

Any integer can be represented in either system.

Java int

The int data type in Java has 32 bits.

0000000 0000000 0000000 00010111

is the number 23.

$(0000000000000000000000000000010111)_2$ = $(0 \times 2^{31}) + (0 \times 2^{30}) + (0 \times 2^{29}) + (0 \times 2^{28})$

 $\begin{array}{l} + (0 \times 2^{2^{7}}) + (0 \times 2^{2^{6}}) + (0 \times 2^{2^{5}}) + (0 \times 2^{2^{4}}) \\ + (0 \times 2^{2^{3}}) + (0 \times 2^{2^{2}}) + (0 \times 2^{2^{2}}) + (0 \times 2^{2^{3}}) \\ + (0 \times 2^{1^{3}}) + (0 \times 2^{1^{3}}) + (0 \times 2^{1^{3}}) + (0 \times 2^{1^{3}}) \\ + (0 \times 2^{1^{5}}) + (0 \times 2^{1^{4}}) + (0 \times 2^{1^{3}}) + (0 \times 2^{1^{2}}) \\ + (0 \times 2^{1^{1}}) + (0 \times 2^{1^{0}}) + (0 \times 2^{3^{9}}) + (0 \times 2^{3^{9}}) \\ + (0 \times 2^{7}) + (0 \times 2^{6}) + (0 \times 2^{5}) + (1 \times 2^{4}) \\ + (0 \times 2^{3}) + (1 \times 2^{2}) + (1 \times 2^{1}) + (1 \times 2^{0}) \\ = (23)_{10} \end{array}$

Bitwise Operations

We can use bitwise operations to manipulate the 1s and 0s in the binary representation

- Bitwise 'and': &
- Bitwise 'or': |

Also useful: bit shifts

- Bit shift left: <<
- Bit shift right: >>

& and I

Given two integers a and b, the bitwise or expression a | b returns an integer s.t.
At each bit position, the result has a 1 if that bit position had a 1 in EITHER a OR b

• 3 | 6 = ?

011 | 110 = 111

Given two integers a and b, the bitwise and expression a & b returns an integer s.t.

• At each bit position, the result has a 1 if that bit position had a 1 in BOTH a AND b

• 3 & 6 = ?

011 & 110 = 010

>> and <<
Given two integers a and i, the expression
(a << i) returns (a * 2ⁱ)
• Why? It shifts all bits left by i positions
• 1 << 4 = ?
00001 << 4 = 10000
Given two integers a and i, the expression
(a >> i) returns (a / 2ⁱ)
• Why? It shifts all bits right by i positions
• 1 >> 4 = ?
00001 >> 4 = 00000
• 97 >> 3 = ?
1100001 >> 3 = 1100



















A bit iterator

Suppose we want to do the following:

On each iteration, get the **next most significant bit**, starting initially with the **least significant bit**.

BIterator to the rescue.

Note that we're showing you this in the hope that it will serve as inspiration for Lab 7— however, the iterator you need to write for Lab 7 will be different.

(code)

Recap & Next Class

Today:

Iterators

Number representations

Next class:

Tree ADT